# Evaluation of CNN-based Single-Image Depth Estimation Methods(CVPR 18)

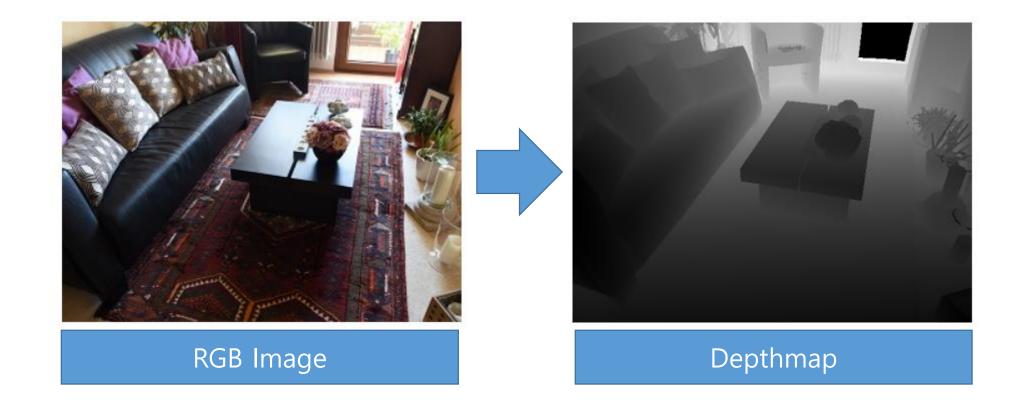
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18. 11. 20. CS688 Student Presentation

#### Main Topic

- Single image -> Depthmap estimation
- Application: Shape, depth aware image retrieval



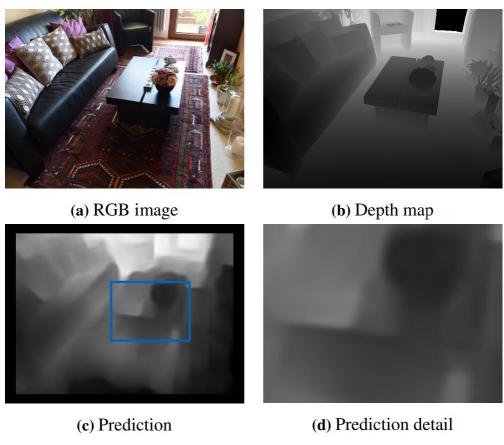
# Introduction

Problem

Goals

#### Problem

- Error metrics does not reflect detailed structures
- No sufficient dataset for training



Positively evaluated but poor details

#### Goals

- 1. Introduce a set of new **error metrics**
- 2. Present a new dataset from laser scan
- 3. **Evaluate** state-of-art methods

#### 1. Error Metrics

Commonly Used Error Metrics
Hard Examples
Requirements for Good Metric
Planarity, Orientation Metric
Depth Boundary Metric

#### Commonly Used Error Metrics

**Threshold:** % of y such that  $\max(\frac{y_i}{y_i^*}, \frac{y_i^*}{y_i}) = \sigma < thr$ 

Absolute rel. diff.:  $\operatorname{rel} = \frac{1}{T} \sum_{i,j} \left| y_{i,j} - y_{i,j}^* \right| / y_{i,j}^*$ 

**Squared rel. diff.:** srel =  $\frac{1}{T} \sum_{i,j} |y_{i,j} - y_{i,j}^*|^2 / y_{i,j}^*$ 

RMS (linear): RMS =  $\sqrt{\frac{1}{T}\sum_{i,j}\left|y_{i,j}-y_{i,j}^*\right|^2}$ 

**RMS** (log):  $\log_{10} = \sqrt{\frac{1}{T} \sum_{i,j} \left| \log y_{i,j} - \log y_{i,j}^* \right|^2}$ 

## Hard Examples



Paint? Bumps?



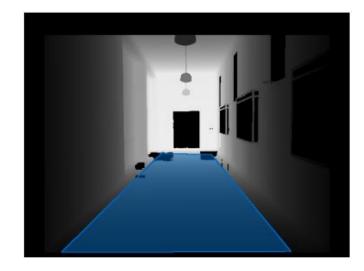
Reflection? Shallow Region??

#### Requirements for Good Metric

(Overall accuracy)+

- Capture planarity
- Orientation of surface
- Depth Discontinuity(edge) location

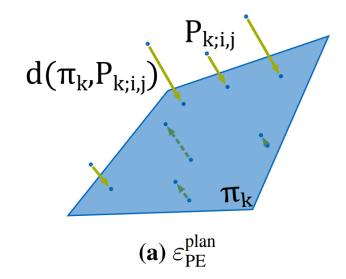


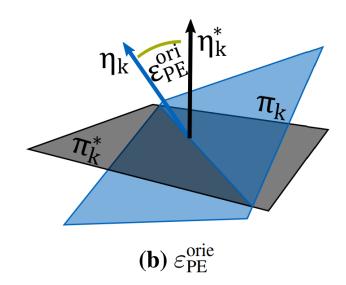


#### Planarity, Orientation Metric

- Annotated Plane:  $\pi_k^* = (\eta_k^*, d_k^*)$  (normal vector, origin)
- Project depthmap  $Y_k$  to 3D points  $P_{k;i,j}$

$$arepsilon_{ ext{PE}}^{ ext{plan}}\left(oldsymbol{Y}_{k}
ight) = \mathbb{V}\left[\sum_{oldsymbol{P}_{k;i,j} \in \mathcal{P}_{k}} d\left(oldsymbol{\pi}_{k}, oldsymbol{P}_{k;i,j}
ight)
ight] \qquad arepsilon_{ ext{PE}}^{ ext{orie}}\left(oldsymbol{Y}_{k}
ight) = cos\left(oldsymbol{\eta}_{k}^{ op} \cdot oldsymbol{\eta}_{k}^{*}
ight)$$

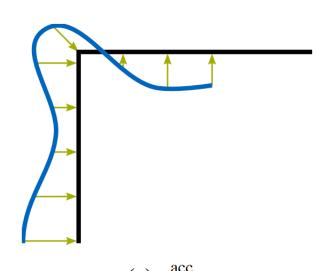


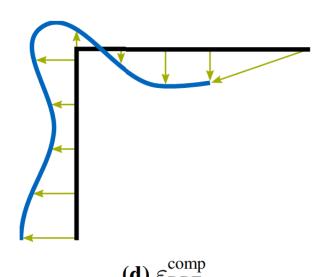


#### Depth Boundary Metric

- Edge prediction using "Structured Edge "
- Euclidian distance between Structured Edge and Ground T.

$$arepsilon_{\mathrm{DBE}}^{\mathrm{acc}}(oldsymbol{Y}) = rac{1}{\sum_{i} \sum_{j} y_{\mathrm{bin};i,j}} \sum_{i} \sum_{j} e_{i,j}^* \cdot y_{\mathrm{bin};i,j}$$





### 2. Dataset

**Existing Datasets** 

Data Acquisition

Proposed Dataset: IBims-1

### **Existing Datasets**

- Multiple laser scan (ETH3D, Tanks&Temples, ...)
  - Occlusion
- Custom Built-in 3D scanner (Kitti)
  - > Low Resolution
- Active RGB-D sensors (NYU depth v2, Matterport3D)
  - > Short range, erroneous specular surface

## Data Acquisition

- DSLR + Single laser scanner
- Custom tripod to align optical center





### Proposed Dataset: IBims-1

- High-resolution RGB-D with annotations
- Object masks and edges



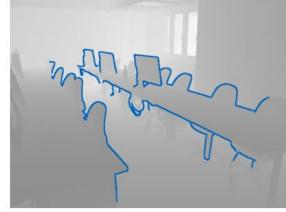
(a) Camera image



(c) Masks



(b) Ground truth



(d) Distinct edges

## 3. Evaluation

Previous Works
CNN Based Depth Estimation(Eigen et el)
Quantitative Evaluations
Qualitative Evaluations

#### Previous Works

- Eigen et el. First CNN based approach.
- Liu et el. CNN + conditional random fields(CRF).
- Laina et el. Fully convolutional network
- Li et el. Two-streamed CNN for depth and depth gradients
- Xu et el. Integrate multiple CNN using CRF

#### CNN Based Depth Estimation(Eigen et el)

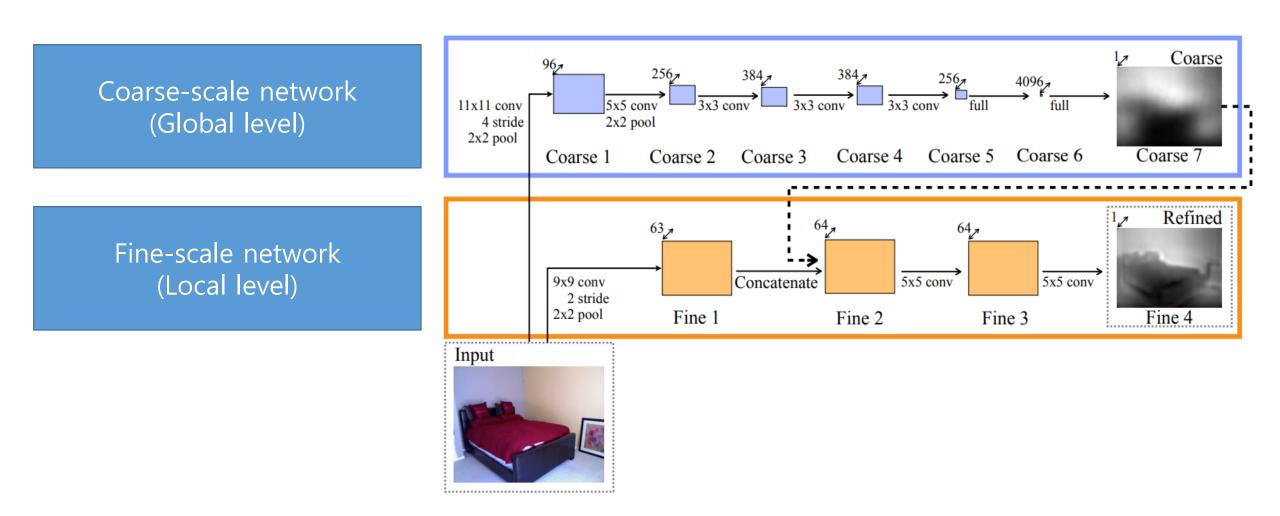


Figure from Eigen et el. "Depth Map Prediction from a Single Image using a Multi-Scale Deep Network"

#### Quantitative Evaluations

 Li et el is best with standard metrics, but not with proposed metrics

Table 3: Quantitative results for standard metrics and proposed PE, DBE, and DDE metrics on IBims-1 applying different SIDE methods

Method	Standard Metrics ( $\sigma_i = 1.25^i$ )						PE (in m/°)		DBE (in px)		DDE (in %)		
	rel	$\log_{10}$	RMS	$\sigma_1$	$\sigma_2$	$\sigma_3$	$arepsilon_{ ext{PE}}^{ ext{plan}}$	$arepsilon^{ m orie}_{ m PE}$	$arepsilon_{ ext{DBE}}^{ ext{acc}}$	$arepsilon_{ ext{DBE}}^{ ext{comp}}$	$arepsilon_{ ext{DDE}}^{0}$	$\varepsilon_{ ext{DDE}}^-$	$\varepsilon_{\mathrm{DDE}}^{+}$
Eigen [7]	0.36	0.22	2.92	0.35	0.63	0.79	0.18	33.27	3.60	48.08	64.53	32.31	3.15
Eigen (AlexNet) [6]	0.32	0.18	2.63	0.42	0.72	0.82	0.21	26.64	3.01	32.00	74.65	21.51	3.84
Eigen (VGG) [6]	0.29	0.17	2.59	0.47	0.73	0.85	0.17	21.64	3.16	27.47	75.10	23.44	1.46
Laina [16]	0.27	0.16	2.42	0.56	0.76	0.84	0.22	32.02	4.58	38.41	77.12	20.89	1.99
Liu [20]	0.33	0.17	2.51	0.46	0.73	0.84	0.22	31.90	2.32	16.85	77.27	16.38	6.35
Li [19]	0.25	0.14	2.32	0.58	0.79	0.86	0.20	26.67	2.36	21.02	80.99	16.44	2.57

#### Qualitative Evaluations

• Laina et el seems poor, Liu et el seems good (Proposed metrics well represent these points)

